

Supporting your child's math learning

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Tonight I will address



- ❧ How the teaching of math has and has not changed
- ❧ Things you can do to support your child's math learning
- ❧ There will certainly be time for questions throughout or at the end.

There are 5 strands



- ∞ Number
- ∞ Geometry
- ∞ Measurement
- ∞ Pattern and Algebra
- ∞ Data and Probability

Most of you...



are most concerned about number, so I will start there.

Working with numbers



- ❧ The way we approach the learning of “facts” and the learning of procedures has changed in some ways, but not other ways.
- ❧ We will discuss both the how and the why.

Facts first



- ☞ Facts are things like $4 + 8 = 12$ or $7 \times 4 = 28$ or $12 - 3 = 9$ or $40 \div 5 = 8$.
- ☞ They involve small numbers.
- ☞ Facts remain important because they are fundamental both to estimation and any other calculations.

We used to believe...



- ❧ The best way to learn facts is to sit down and memorize them by saying them over and over.
- ❧ And that being super fast with them is really important.

Now we realize...



- ✧ That you are ahead of the game if you have tools to recall something you have memorized but may forget.
- ✧ We call these strategies.

An added benefit..



- ☞ The strategies we use to help kids recall facts also are useful in other computations.

There is now research that shows...



- ❧ That even though some kids memorize well..
- ❧ for kids who are anxious about math or get nervous having to be quick, old strategies doom them to failure.
- ❧ Brain research shows that when you are anxious, it is short term memory that is impacted and that is where facts are stored. (Sian Bellock)
- ❧ We need to approach fact learning in different ways for different kids.

So we teach principles and strategies



- ☞ For example, since 4 combined with 5 is the same as 5 combined with 4, we only have to learn half the addition facts.

So we teach principles and strategies



- For example, since 8 combined with 3 is the same $8 + 2 + 1$, it's really $10 + 1$

O	O	O	O	O
O	O	O	X	X

X				

So we teach principles and strategies



- ↻ For some reason, we learn doubles quickly, so kids can relate $3 + 4$ to $(3 + 3) + 1$ or $(4 + 4) - 1$.

- ↻ Or $7 + 8$ to $(7 + 7) + 1$ or $(8 + 8) - 1$.

So we teach principles and strategies



- For example, since 4 groups of 5 can be viewed as 5 groups of 4, we only need to memorize half the multiplication facts.

0	0	0	0	0
0	0	0	0	0
0	0	0	0	0
0	0	0	0	0

So we teach principles and strategies



- For example, since 4 groups of 7 can be viewed as 4 groups of 5 with 4 groups of 2, we know the 7 x table if we can learn the 5 x and 2 x tables.

0	0	0	0	0	0	X	X
0	0	0	0	0	0	X	X
0	0	0	0	0	0	X	X
0	0	0	0	0	0	X	X

Many of these principles can be..



- ☞ Seen on addition and multiplication tables
- ☞ visualized using manipulatives

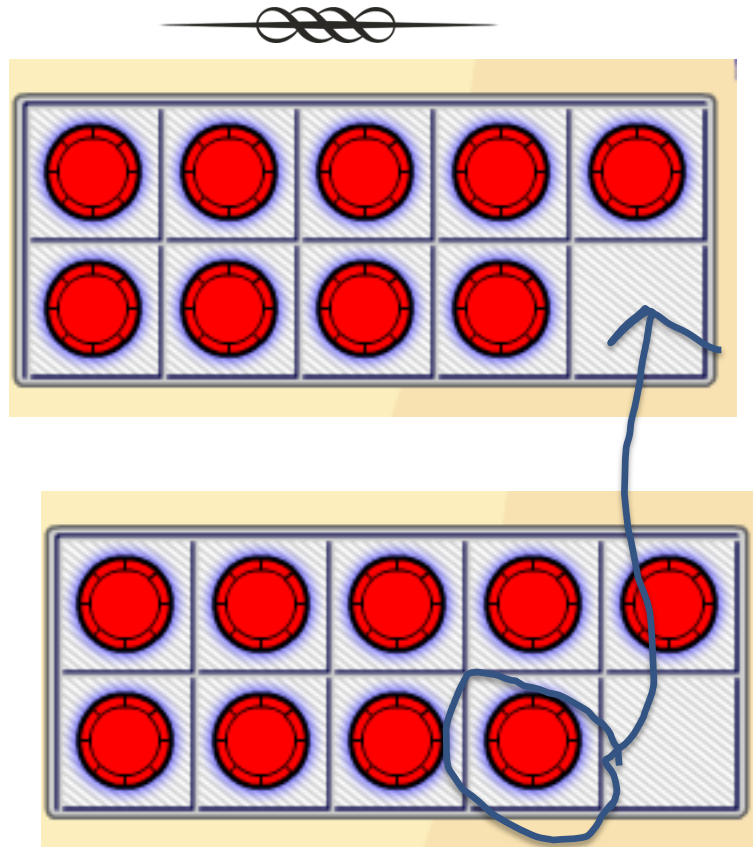
+	1	2	3	4	5	6	7	8	9
1	2	3	4	5	6	7	8	9	10
2	3	4	5	6	7	8	9	10	11
3	4	5	6	7	8	9	10	11	12
4	5	6	7	8	9	10	11	12	13
5	6	7	8	9	10	11	12	13	14
6	7	8	9	10	11	12	13	14	15
7	8	9	10	11	12	13	14	15	16
8	9	10	11	12	13	14	15	16	17
9	10	11	12	13	14	15	16	17	18

×	0	1	2	3	4	5	6	7	8	9
0	0	0	0	0	0	0	0	0	0	0
1	0	1	2	3	4	5	6	7	8	9
2	0	2	4	6	8	10	12	14	16	18
3	0	3	6	9	12	15	18	21	24	27
4	0	4	8	12	16	20	24	28	32	36
5	0	5	10	15	20	25	30	35	40	45
6	0	6	12	18	24	30	36	42	48	54
7	0	7	14	21	28	35	42	49	56	63
8	0	8	16	24	32	40	48	56	64	72
9	0	9	18	27	36	45	54	63	72	81

×	0	1	2	3	4	5	6	7	8	9
0	0	0	0	0	0	0	0	0	0	0
1	0	1	2	3	4	5	6	7	8	9
2	0	2	4	6	8	10	12	14	16	18
3	0	3	6	9	12	15	18	21	24	27
4	0	4	8	12	16	20	24	28	32	36
5	0	5	10	15	20	25	30	35	40	45
6	0	6	12	18	24	30	36	42	48	54
7	0	7	14	21	28	35	42	49	56	63
8	0	8	16	24	32	40	48	56	64	72
9	0	9	18	27	36	45	54	63	72	81

Math tools

∞ 10-frames



It's easy to see why $9 + 9 = 10 + 8$
(18).
20 Just move one counter up.

Accessing virtual manipulatives



- ❧ There are tools for materials your children use in class freely available on line.
- ❧ Many are also available as apps.

Pattern Blocks



☞ http://nlvm.usu.edu/en/nav/frames_asid_169_g_1_t_2.html?open=activities

Hundreds chart



🔗 http://nlvm.usu.edu/en/nav/category_g_2_t_1.html

Base ten blocks



☞ http://nlvm.usu.edu/en/nav/category_g_2_t_1.html

Geometric shapes



☞ <http://illuminations.nctm.org/Activity.aspx?id=3521>

What about computing with 2-digit or larger numbers



- There is increasingly more focus on estimation and more focus on calculation using strategies, often mentally

Adding on a 100 chart



$44 + 32$

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

Subtracting on a 100 chart



65 - 19

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

Alternative strategies that might seem new



- ❧ How would you calculate $342 - 121$?
- ❧ Would you do $200 - 2$ the same way?
- ❧ Children are learning different strategies since different ones are more efficient or more meaningful in different situations AND
- ❧ Different ones make more sense to different kids.

For example



☞ It is reasonable and correct to add like this:

38

+ 47

70

+ 15

85

For example



☞ It is reasonable and correct to add like this:

38

+ 47

$$= 38 + 50 - 3 = 88 - 3 = 85$$

Or subtract like this...



$$\mathfrak{R} \quad 100 = 99 + 1$$

$$\begin{array}{r} - 79 \\ \hline \end{array}$$

$$20 + 1 = 21$$

Strategies also are useful in multiplying



☞ For example:



25 x 44

40

4

20

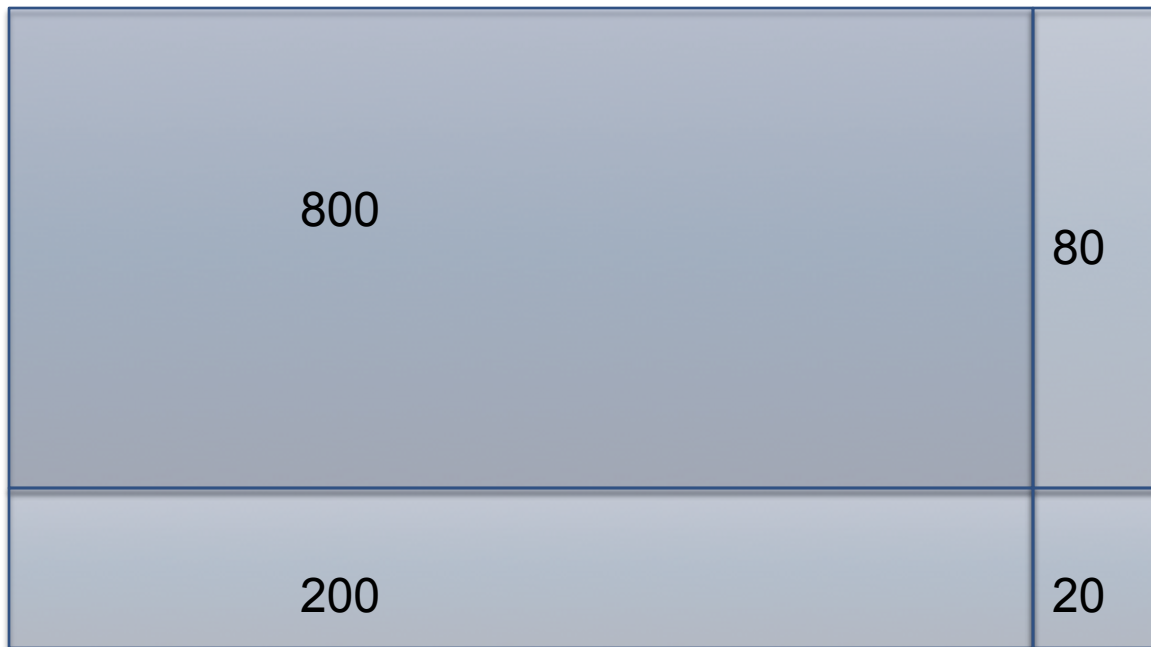
800

80

5

200

20



Also division

☞ How many packages of 8 cookies if there are 348 cookies to package?

$$\begin{array}{r} 8 \overline{) 348} \\ \underline{- 80} \\ 268 \\ \underline{- 160} \\ 108 \\ \underline{- 80} \\ 28 \\ \underline{- 24} \\ 4 \end{array} \begin{array}{l} 10 \\ 20 \\ 10 \\ 3 \\ 43 \end{array}$$



Attention to estimation



- ∞ In the world toward which we are moving, technology will be regularly used to calculate, but we still need to estimate to see if those answers make sense.

Attention to estimation



- ⌘ Is $42 + 58 + 91$ closer to 100, 150 or 200? Why?
- ⌘ About how much is $4213 - 3314$?
- ⌘ Why is 29×42 close to 1200?

Other strands



∞ Algebra work earlier, particularly things like:

$$4 + [] = 5 + 8$$

Teaching through problem solving



- ⌘ This is a better description of what we do than “discovery”.
- ⌘ It means that as we solve a problem, we clarify a lot of ideas.

I might ask...



- ℞ I bought something and gave the clerk \$10.
- ℞ She gave me back one bill and 4 coins.
- ℞ How much might the item have cost?

Lots of thinking



- Realizing that the bill has to be \$5.
- Realizing that the coins, these days, have to be nickels, dimes, quarters, loonies or toonies.
- Getting lots and lots of practice trying lots and lots of combinations.
- Realizing that the price + the change = \$10

What can you do?



- Our big question as parents is what we can do to help our child.

Number Play



Lots of children respond well to “magic”.

For example:

- ▶ Choose a number.
- ▶ Double it.
- ▶ Add 4.
- ▶ Double that.
- ▶ Add 8.
- ▶ Divide by 4.

Tell me your answer and I will guess your
number.

How did I make that up?



☞ Choose a number.



☞ Double it.



☞ Add 4.



☞ Double that.



☞ Add 8.



☞ Divide by 4.



How many....?



- ☞ Spoons in the drawer?
- ☞ Steps to get downstairs?
- ☞ Trees on the street?
- ☞ Sections in an orange?
- ☞ Windows in the house?

Interesting Questions



- ☞ Ask little questions in passing.
- ☞ e.g. The answer is 10. What is the question?
- ☞ If McDonalds' s sells McNuggets in packs of 6, 9 and 20, can you buy exactly 25 McNuggets?

Support involves...



- ❧ Not showing, but probing.
- ❧ Asking why this or why that...
- ❧ Building connections

Games



- ☞ You could play games where you make up the rules or use existing games to practise skills.

Games to Play



- ↻ 2 players
- ↻ Each rolls two dice. The score is the sum.
- ↻ The first player to get to 100 wins.

Games to Play



- ↻ 2 players
- ↻ Each rolls two dice. The score is $2 \times \text{one value} + \text{the other}$.
- ↻ The first player to get to 100 wins.

Board games



∞ 24

Box cars and one eyed jacks



🌀 <http://www.boxcarsandoneeyedjacks.com/>

You could solve interesting
problems



How much is your name worth?



A	B	C	D	E	F	G	H	I
1	2	3	4	5	6	7	8	9
J	K	L	M	N	O	P	Q	R
10	11	12	13	14	15	16	17	18
S	T	U	V	W	X	Y	Z	
19	20	21	22	23	24	25	26	

What words are worth 40 – 50?



A	B	C	D	E	F	G	H	I
1	2	3	4	5	6	7	8	9
J	K	L	M	N	O	P	Q	R
10	11	12	13	14	15	16	17	18
S	T	U	V	W	X	Y	Z	
19	20	21	22	23	24	25	26	

Figure this



⌘ <http://www.figurethis.org>

What is success?



- ⌘ Not just a mark
- ⌘ Enjoying the math
- ⌘ Making sense of the world using math
- ⌘ Building connections

You need to...



- ☞ Encourage kids to “teach you” what they learned or explain their thinking to you.

You need to...



- ☞ Show that you enjoy math too.
- ☞ Show confidence- believe that they can if you give them the time.
- ☞ Emphasize good thinking, not speed.
- ☞ Emphasize the good thinking, not the mistakes.

You might have questions



You can download at



☞ www.onetwoinfinity.ca

☞ Parents